CS 225

**Data Structures** 

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# **BST Analysis**

Therefore, for all BST:

Lower bound:  $h \ge O(lg(n))$ 

Upper bound:  $h \le O(n)$ 

# **BST Analysis**

The height of a BST depends on the order in which the data is inserted into it.

ex: 1324576

VS.

4236715

## **BST Analysis**

**Q:** How many different ways are there to insert keys into a BST?

**Q:** What is the average height of all the arrangements?

# BST Analysis – Running Time

Operation	BST Average case	BST Worst case	Sorted array	Sorted List
find				
insert				
delete				
traverse				

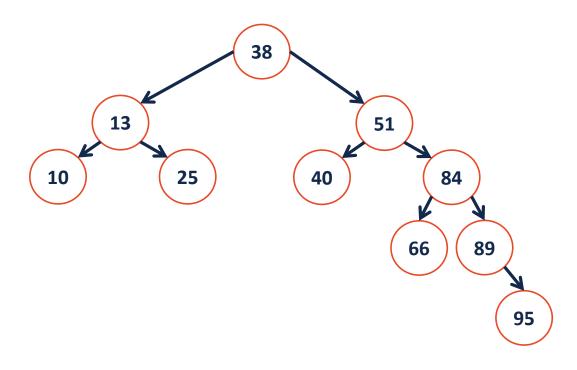
## Height-Balanced Tree

What tree makes you happier?



Height balance:  $b = height(T_R) - height(T_L)$ 

A tree is height balanced if:



#### **BST Rotation**

We will perform a rotation that maintains two properties:

1.

2.

